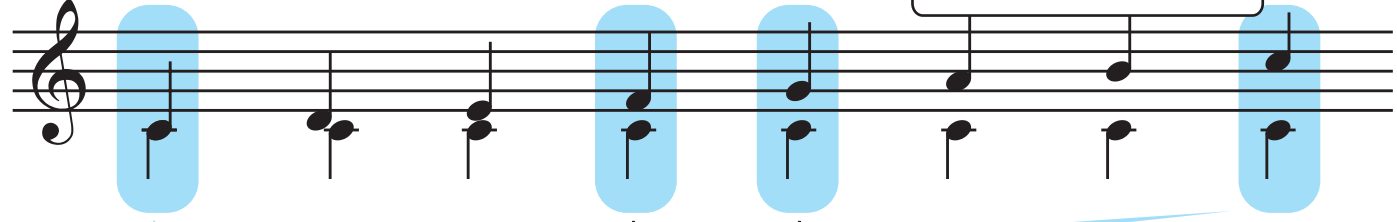


Perfect Intervals

THE **DISTANCE** OF AN INTERVAL IS **ONE** PART OF ITS NAME, BUT THERE'S **MORE**: EVERY INTERVAL HAS ANOTHER QUALITY TO IT, WHICH WE'LL CALL **INFLECTION**.

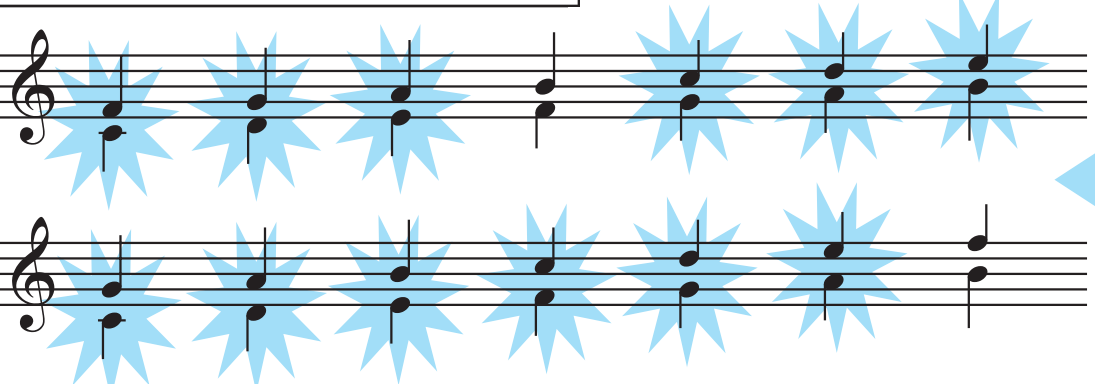
INFLECTION IS A BIT **HARDER** TO UNDERSTAND, PARTLY BECAUSE IT DEPENDS ON THE **TYPE** OF INTERVAL. SO LET'S START BY LOOKING AT **UNISONS, FOURTHS, FIFTHS** AND **OCTAVES**.

SOME THEORISTS USE THE TERM **QUALITY** FOR THIS... THAT'S COOL TOO.



UNISONS AND OCTAVES ARE THE EASIEST TO LABEL: IF THE TWO NOTES ARE THE **SAME** (FOR EXAMPLE, **B FLAT** AND **B FLAT**), THEN THE INFLECTION IS **PERFECT**: SUCH AN INTERVAL IS CALLED A **PERFECT UNISON** OR A **PERFECT OCTAVE**.

FOURTHS AND FIFTHS REQUIRE A LITTLE MORE **EXPLAINING**. IF YOU LOOK AT ALL THE FOURTHS AND FIFTHS YOU CAN CREATE USING ONLY THE **WHITE NOTES** ON THE PIANO KEYBOARD (IN OTHER WORDS, USING ONLY NOTES **WITHOUT ACCIDENTALS**):



EACH ONE IS **PERFECT** EXCEPT FOR THOSE WHICH USE **F** AND **B**!

WAIT... WHY ARE THE **B TO F** INTERVALS **DIFFERENT**?

WELL, IF YOU WERE TO COUNT THE **HALF-STEPS** THAT MAKE UP EACH INTERVAL, YOU'D NOTICE THAT ALL THE OTHER ONES ARE **EQUAL IN SIZE**, BUT THE **B TO F** INTERVALS ARE NOT: **F TO B** IS A HALF-STEP **LARGER** THAN A PERFECT FOURTH, AND **B TO F** IS A HALF-STEP **SMALLER** THAN A PERFECT FIFTH.

WHICH RAISES THE **QUESTION**: IF THE INTERVAL IS NOT **PERFECT**, THEN WHAT **IS** IT?

AN INTERVAL THAT IS A HALF-STEP **LARGER** THAN PERFECT IS CALLED AN **AUGMENTED** INTERVAL.



YOU CAN GO **FURTHER**, TO **DOUBLY AUGMENTED** AND **DOUBLY DIMINISHED** INTERVALS, BUT... DO YOU REALLY WANT TO?



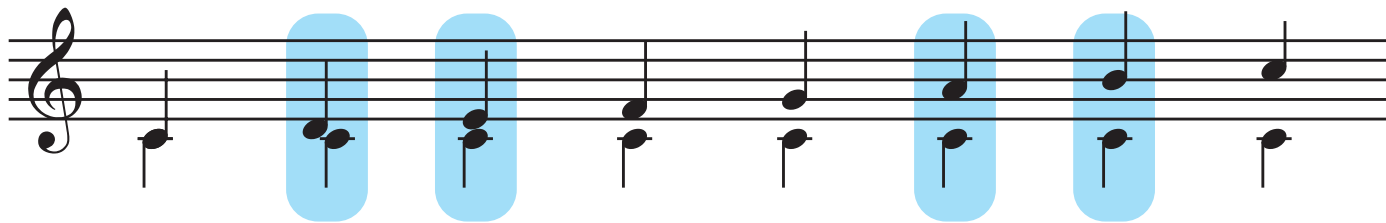
AND THERE'S **NO SUCH THING** AS A **DIMINISHED UNISON**...

JUST LIKE TWO THINGS CAN'T BE **NEGATIVE TWO FEET** AWAY FROM EACH OTHER!

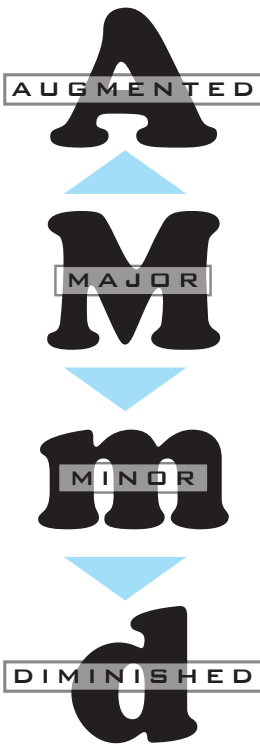
AN INTERVAL THAT IS A HALF-STEP **SMALLER** THAN PERFECT IS CALLED A **DIMINISHED** INTERVAL.

Imperfect Intervals

WE'VE TALKED ABOUT *UNISONS, FOURTHS, FIFTHS* AND *OCTAVES*, BUT WHAT ABOUT THE REST? ARE THESE OTHER INTERVALS SOMEHOW *IMPERFECT*?

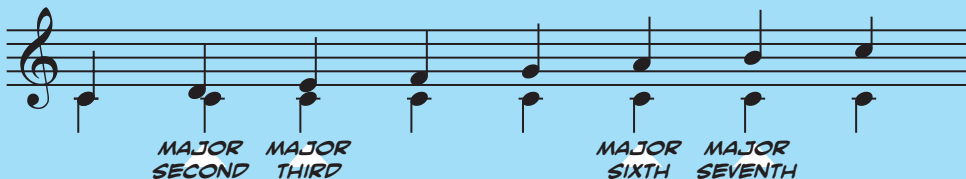


WELL, YES, BUT NOT BECAUSE THEY ARE SOMEHOW *INFERIOR* TO PERFECT INTERVALS... *SECONDS, THIRDS, SIXTHS* AND *SEVENTHS* JUST WORK A LITTLE *DIFFERENTLY*!



FOR ONE THING, THE *INFLECTION* FOR THESE INTERVALS IS NEVER *PERFECT*; IT WILL BE EITHER *MAJOR* OR *MINOR*. *MINOR* INTERVALS ARE A HALF-STEP SMALLER THAN *MAJOR* INTERVALS. LIKE PERFECT INTERVALS, THOUGH, THEY CAN ALSO BE *AUGMENTED* OR *DIMINISHED*; *AUGMENTED* INTERVALS ARE A HALF-STEP LARGER THAN *MAJOR*, AND *DIMINISHED* INTERVALS ARE A HALF-STEP SMALLER THAN *MINOR*.

HOW DO WE KNOW IF AN INTERVAL IS *MAJOR* OR *MINOR*? WE CAN ACTUALLY USE THE *MAJOR SCALE* TO FIND OUT. NOTICE THAT, IN THE *MAJOR SCALE*, INTERVALS FROM THE *TONIC* UP TO ANOTHER SCALE DEGREE ARE *MAJOR*.



LIKewise, INTERVALS FROM THE *TONIC* DOWN TO ANOTHER SCALE DEGREE ARE *MINOR*.



KNOWING THIS, WHEN YOU ARE CONFRONTED WITH A *SECOND, THIRD, SIXTH* OR *SEVENTH*, YOU CAN FIND ITS *INFLECTION* BY THINKING ABOUT THE KEY SIGNATURE OF THE TOP AND/OR BOTTOM NOTE.

WE KNOW THIS IS A *MAJOR SIXTH* BECAUSE *D*, THE TOP NOTE, IS IN THE KEY OF *F MAJOR* (THE BOTTOM NOTE).



AND THIS IS A *MINOR SEVENTH* BECAUSE *B*, BOTTOM NOTE, IS IN THE KEY OF *A MAJOR* (THE TOP NOTE).

* * IF THE *TOP NOTE* IS IN THE *MAJOR* KEY OF THE *BOTTOM NOTE*, THE INTERVAL IS *MAJOR*. * *
 IF THE *BOTTOM NOTE* IS IN THE *MAJOR* KEY OF THE *TOP NOTE*, THE INTERVAL IS *MINOR*. * *

WHEN THE NOTES OF THE INTERVAL HAVE *ACCIDENTALS*, THE ASSOCIATED KEY SIGNATURES CAN BE MORE *COMPLICATED*... SO IT'S EASIEST TO *TEMPORARILY IGNORE* THE ACCIDENTALS, DETERMINE THE INTERVAL, AND THEN *ADD THE ACCIDENTALS BACK ONE AT A TIME* AND TRACK HOW THE INTERVAL CHANGES!



ACK! WHAT IS THAT? LET'S FIRST HIDE THE ACCIDENTALS...



M6

E IS IN THE KEY OF *G*, SO WE KNOW THIS IS A *MAJOR SIXTH*.



m6

ADDING BACK THE *FLAT* MAKES THE INTERVAL *SMALLER*, SO IT'S NOW A *MINOR SIXTH*...



d6

ADDING BACK THE *SHARP* MAKES IT EVEN *SMALLER*... A *DIMINISHED SIXTH*!